

# Future flood extents: capturing the uncertainty associated with climate change

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Rain, Rivers and Reservoirs 2016

Edinburgh, Scotland

28/09/2016

# Need for Uncertainty in Climate Change Impact Assessment

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- Floods in the UK: causing over £5B of damage since 2000, up to £1B / year for flood defences maintenance
  - UKCP09: national downscaled probabilistic dataset
  - Flood Risk Assessment in the UK: deterministic approach
- develop a statistical framework for uncertainty analysis in FRA

# Project aim

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## AIM:

Assess the impact of CC uncertainty on the 100-year RP flood peak and subsequent flood hazard in the UK

## Structure:

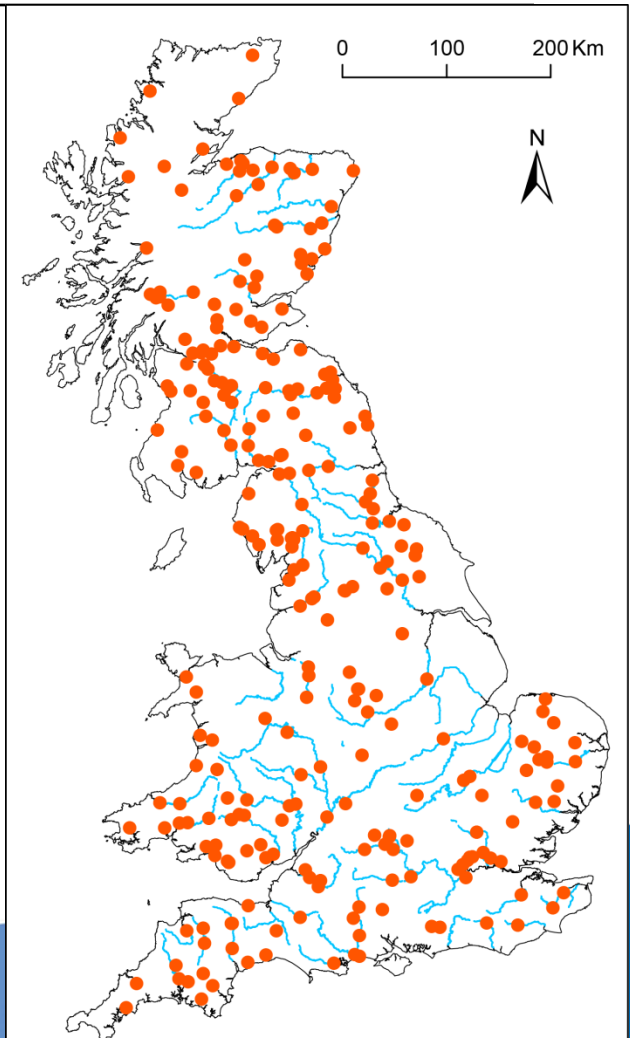
- the **uncertainty** related to the **EV model** parameterisation (single CC ensemble member);
- the **uncertainty** related to the **climate model** parameterisation (with the 11 climate-change ensemble members);
- the combined EV/CM **uncertainty**;
- **Cascade** this combined uncertainty through to Flood Hazard on the River Don

# Future Flow Hydrology

*Future Flow Hydrology* database (CEH):  
simulated daily flow from 1958-2098  
derived from a Regional CM (HadRM3-  
PPE-UK) for an 11-member ensemble.

- Uncertainty in RCM parameterisation
- Result analysis on the baseline (1961-1990) and the 2080s (2069-2098)

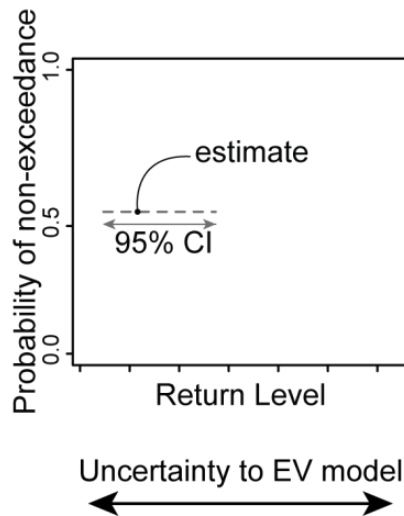
271 gauging stations in the UK.



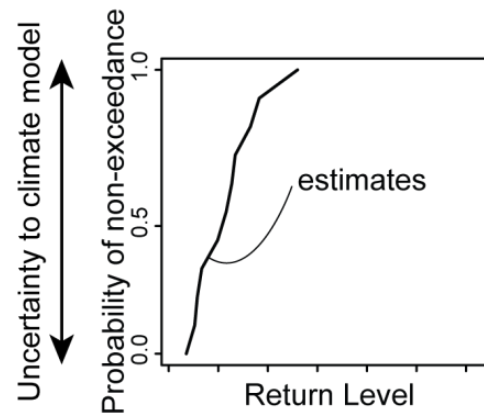
# Method

Automatically compute on each gauging station for GEV and GP with the MLE method:

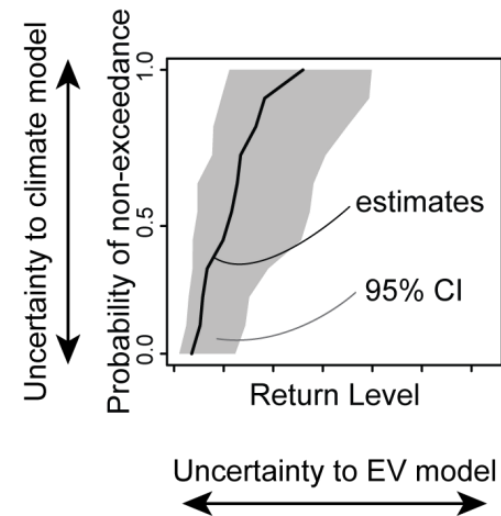
(a) For 1 climate-change ensemble and the EV confidence interval



(b) For 11 climate-change ensembles



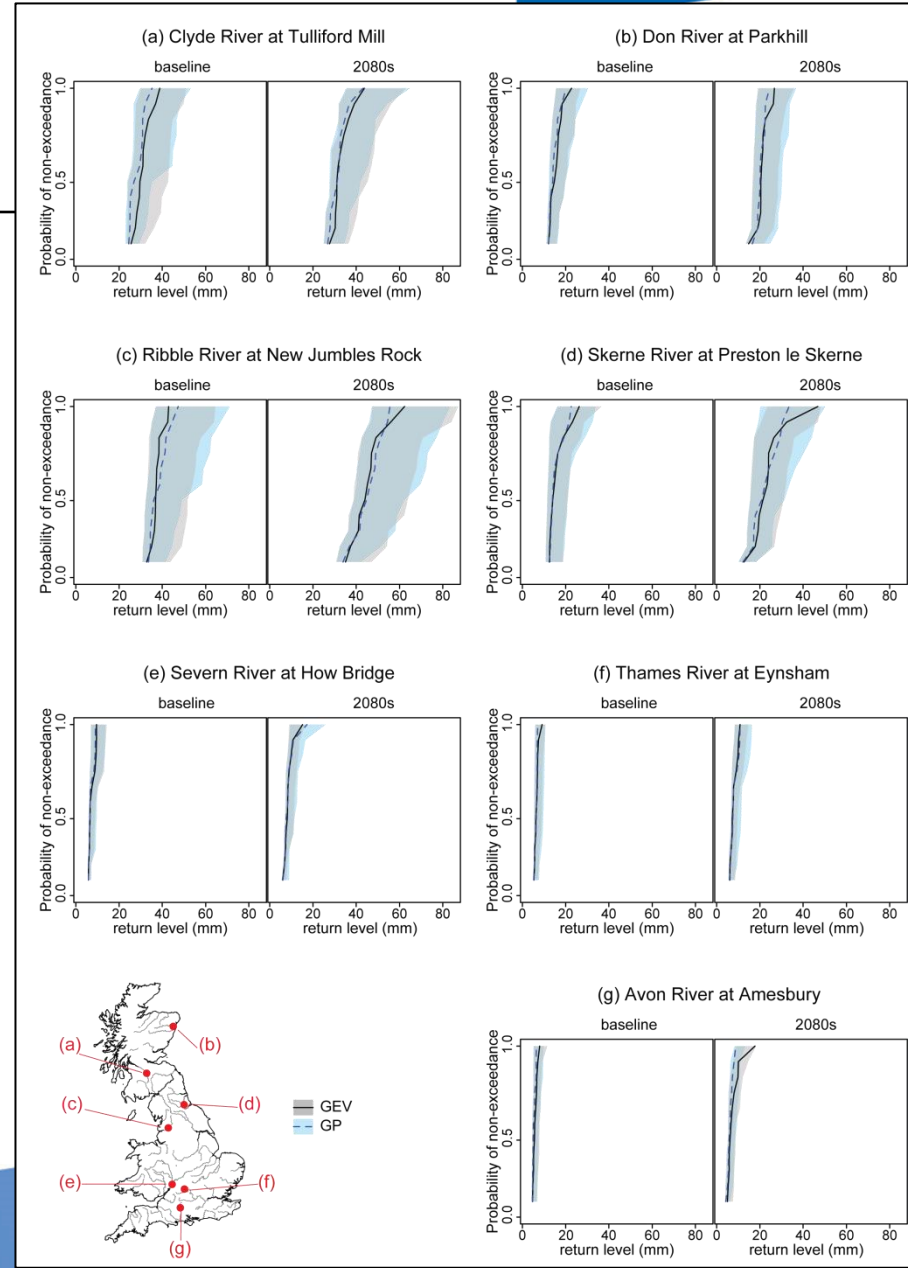
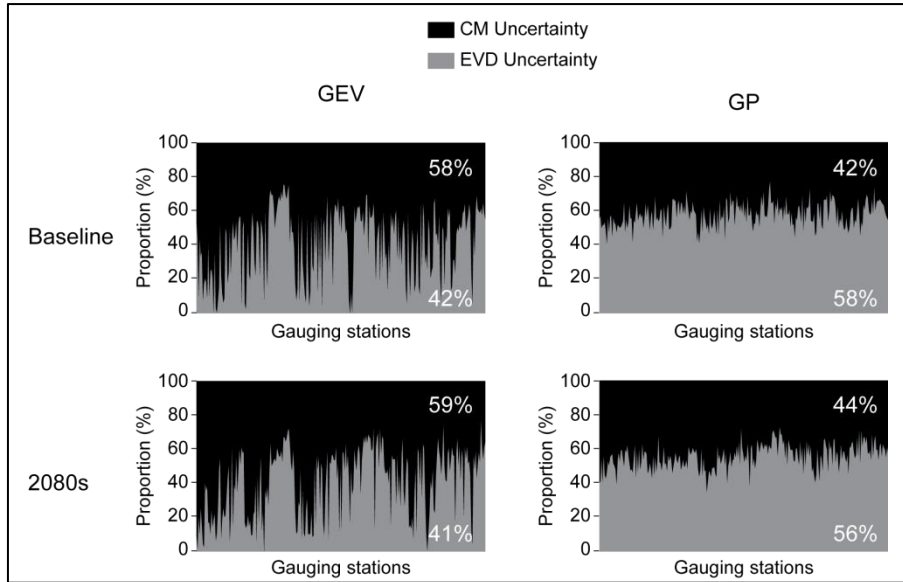
(c) For 11 climate-change ensembles and the EV confidence intervals



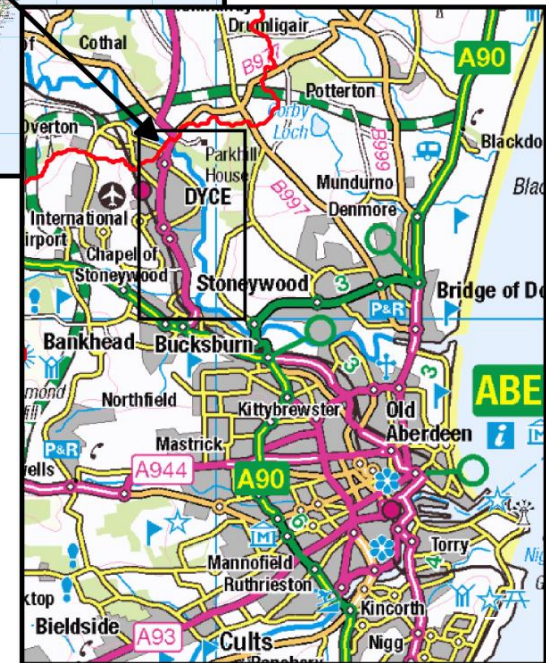
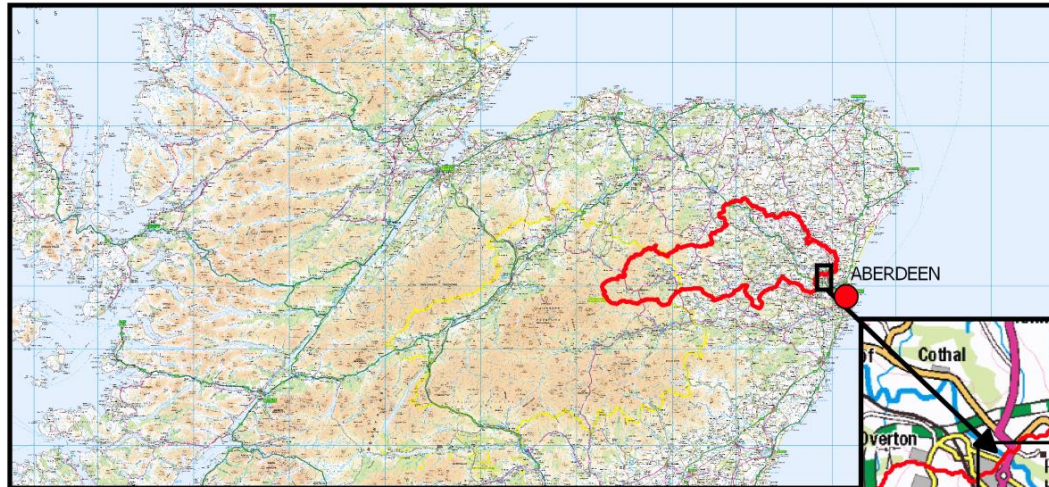
# Probabilistic runoff

Combined uncertainties:

- Highest 100-yr RP flood in the west
- Increase in 100-yr RP flood from baseline to future
- Increase in uncertainties from baseline to future



# Case Study: The Don River



# Lisflood (1D-2D model)

Simplification of the Shallow-Water equations (momentum and continuity)

$$\underbrace{\frac{\partial Q_x}{\partial t}}_{\text{local acceleration}} + \underbrace{\frac{\partial}{\partial x} \left( \frac{Q_x^2}{A} \right)}_{\text{convective acceleration}} + \underbrace{gA \frac{\partial (h+z)}{\partial x}}_{\text{water slope}} + \underbrace{\frac{gn^2 Q_x^2}{R^{4/3} A}}_{\text{friction slope}} = 0$$

1D: river channel

2D: floodplain

$$\frac{\partial A}{\partial x} + \frac{\partial Q_x}{\partial x} = 0$$

Model built on a 20m- grid for a 5-km river reach with SEPA data (Lidar digital terrain model, Manning's n)

Calibration/Validation statistics:  $F=D/(B+C+D)$

	Observed Dry	Observed Wet
Model Dry	A = Dry/dry	B = Predicted dry but observed wet
Model Wet	C = Predicted wet but observed dry	D = Wet/wet



# Lisflood model Calibration

# Validation

100-yr RP  
F=0.54

200-yr RP  
F=0.74

1000-yr RP  
F=0.76

River Don (Aberdeen)

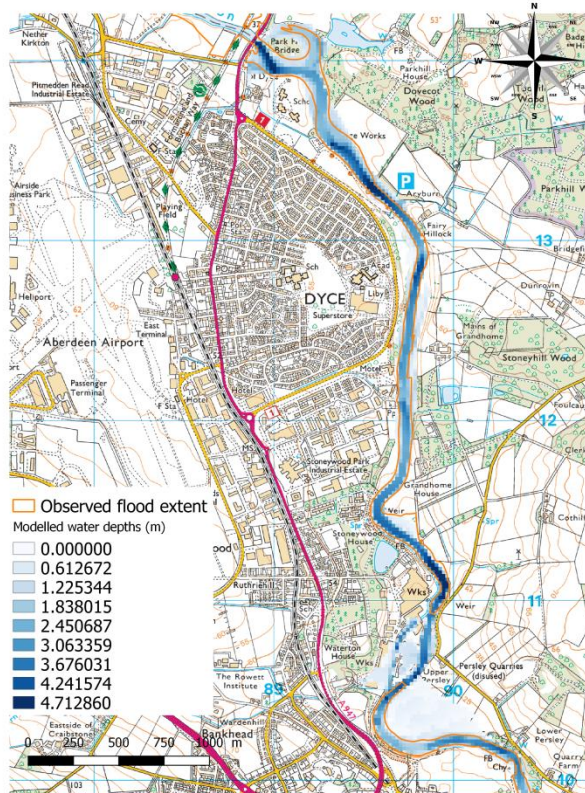
Qmax = 454 m<sup>3</sup>/s - Return Period ~ 100 years - Fstat = 0.53

River Don (Aberdeen)

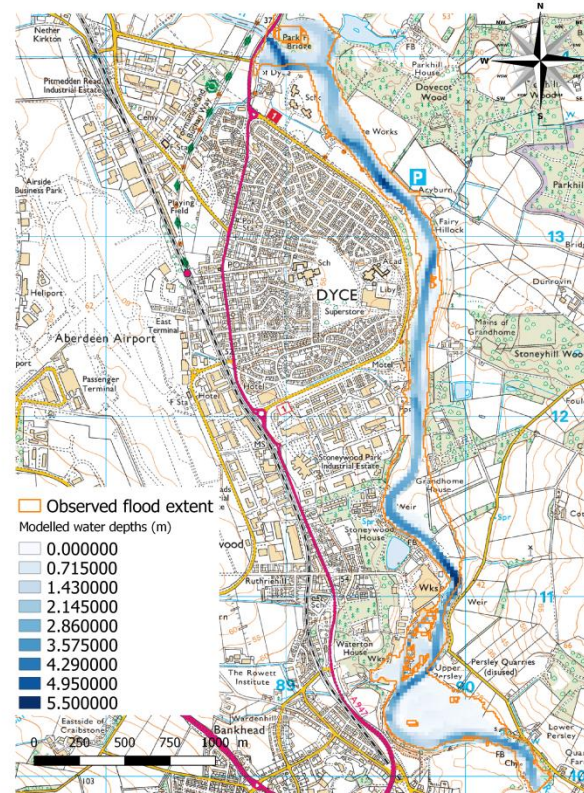
Qmax = 572.4 m<sup>3</sup>/s - Return Period = 200 years - Fstat = 0.74

River Don (Aberdeen)

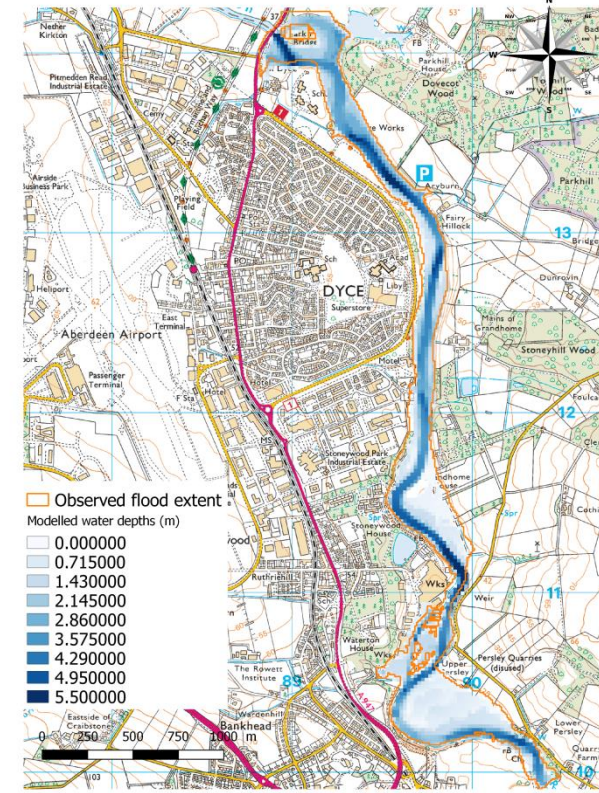
Qmax = 707.4 m<sup>3</sup>/s - Return Period = 1000 years - Fstat = 0.76



Sources: SEPA, Digimap Edina, Future flow Database



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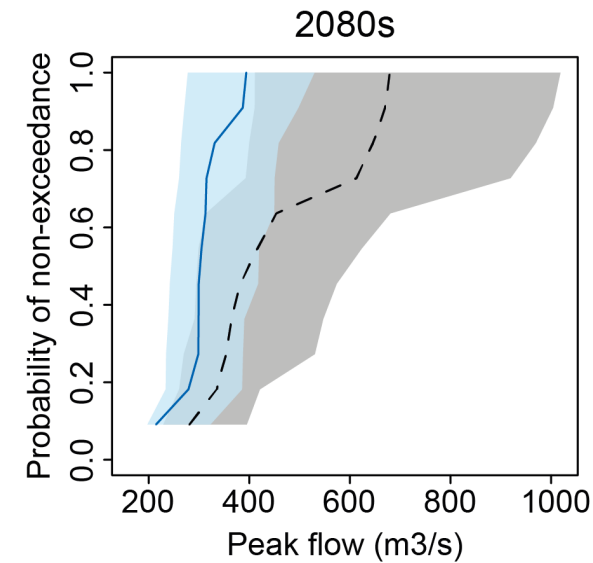
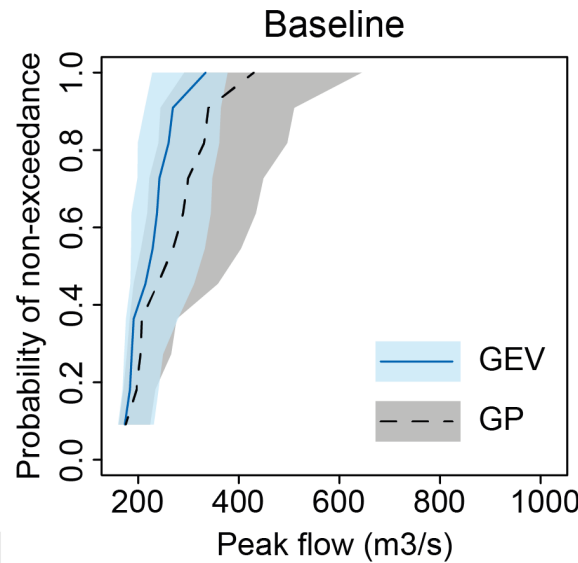
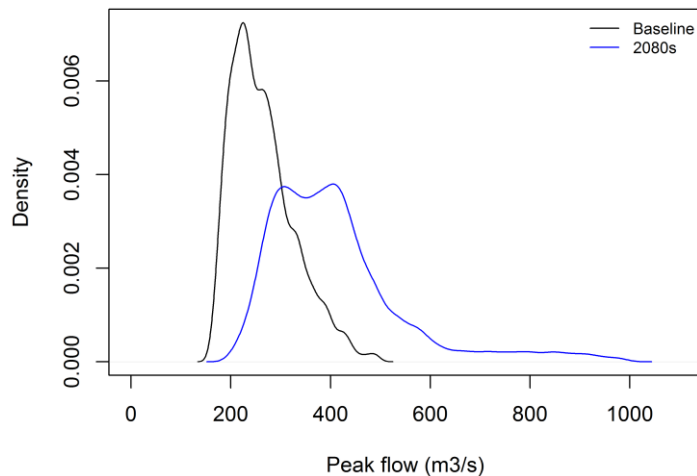


Sources: SEPA, Digimap Edina, Future flow Database

# Probabilistic Flood Mapping: Monte Carlo Sampling

→ 10 000 samples  
of peak flow

Probabilistic distribution



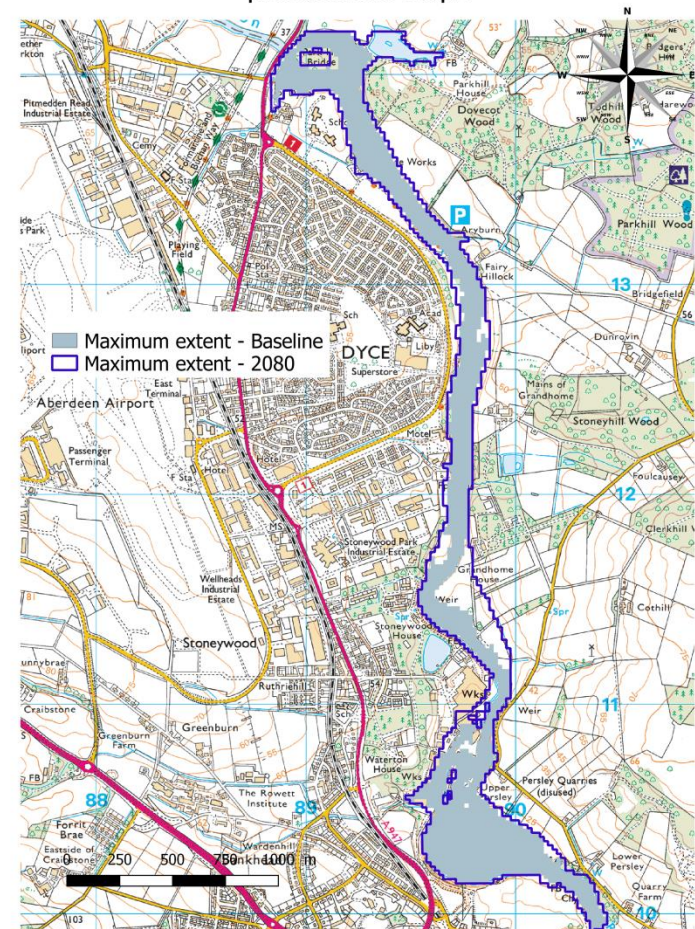
	Baseline	2080	% increase
Mean $Q_p$ (m <sup>3</sup> /s)	265.07	408.22	+ 54.0%
Max $Q_p$ (m <sup>3</sup> /s)	498.98	996.53	+ 99.9%

# Probabilistic Flood Maps

Percentage increase in flood extent from the baseline to the 2080s

% extent	% increase
100%	22.5%
95%	21.6%
75%	27.0%

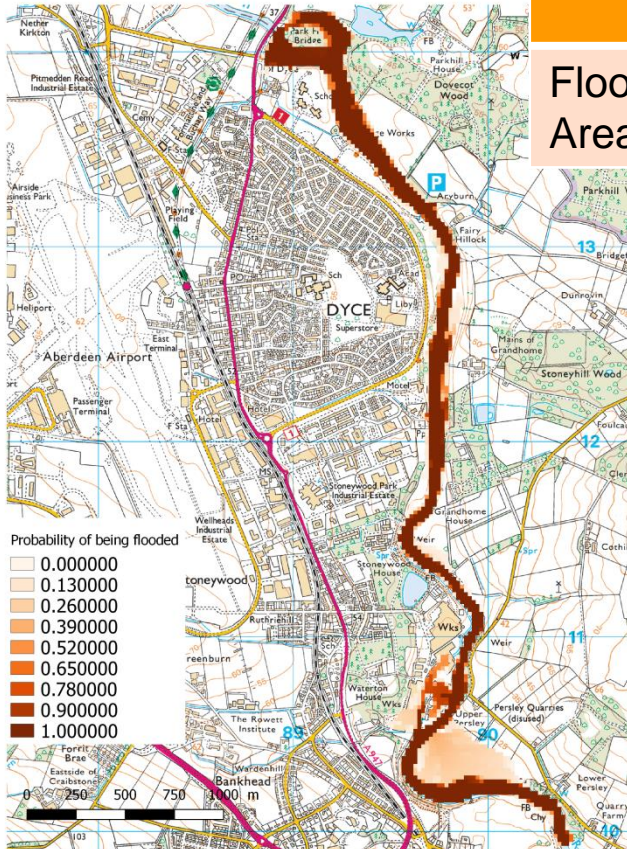
River Don (Aberdeen) - Maximum extents from the probabilistic maps



# Uncertainty Analysis on the baseline

## Total uncertainty

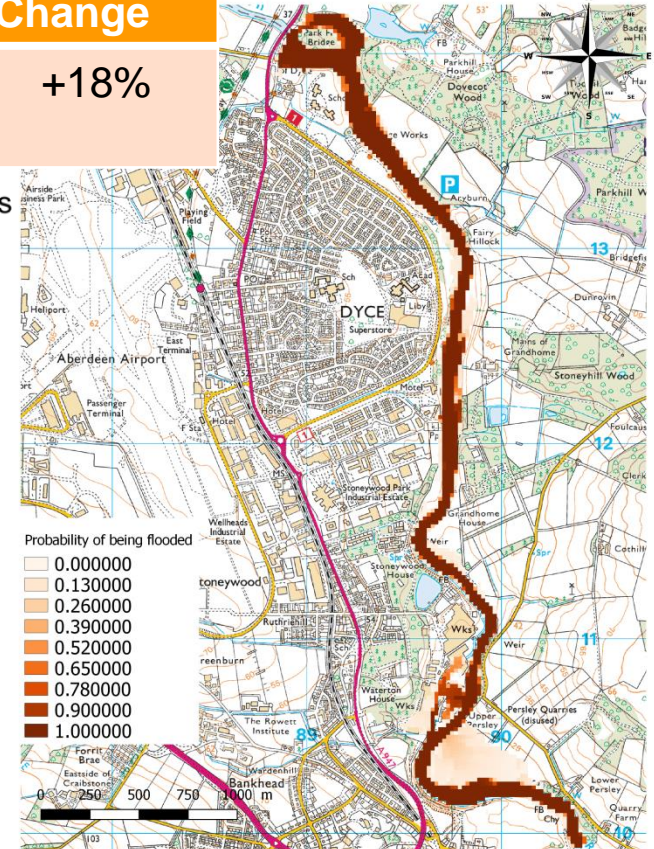
River Don (Aberdeen)  
Probabilistic map - Baseline



Sources: SEPA, Digimap Edina, Future flow Database

## Climate Model Uncertainty

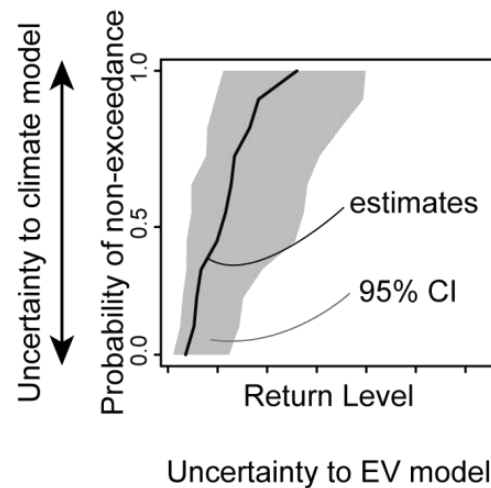
River Don (Aberdeen)  
Probabilistic map - Baseline - CMU sampling



Sources: SEPA, Digimap Edina, Future flow Database

	CM U	Total U	Change
Flooded Area (km <sup>2</sup> )	0.62	0.73	+18%

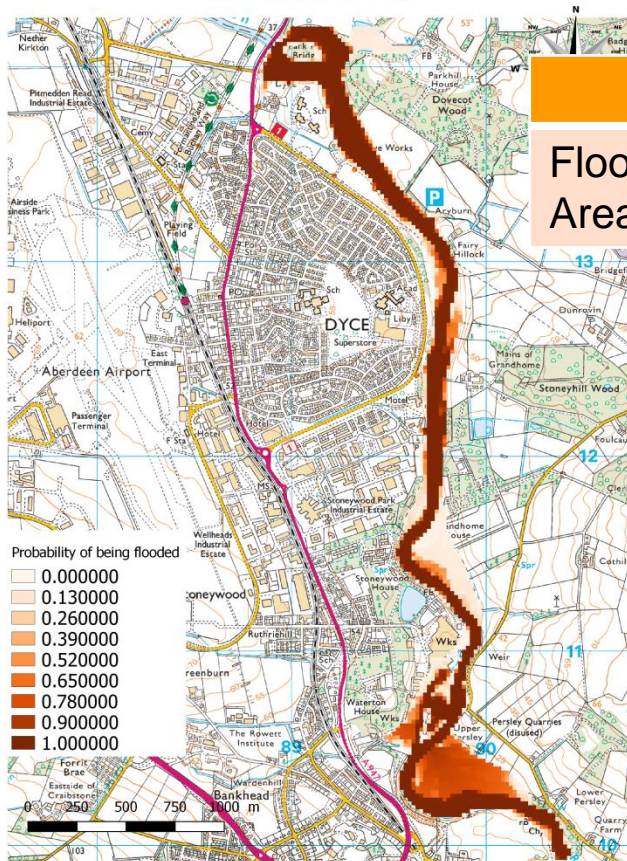
(c) For 11 climate-change ensembles and the EV confidence intervals



# Uncertainty Analysis on the 2080s

## Total uncertainty

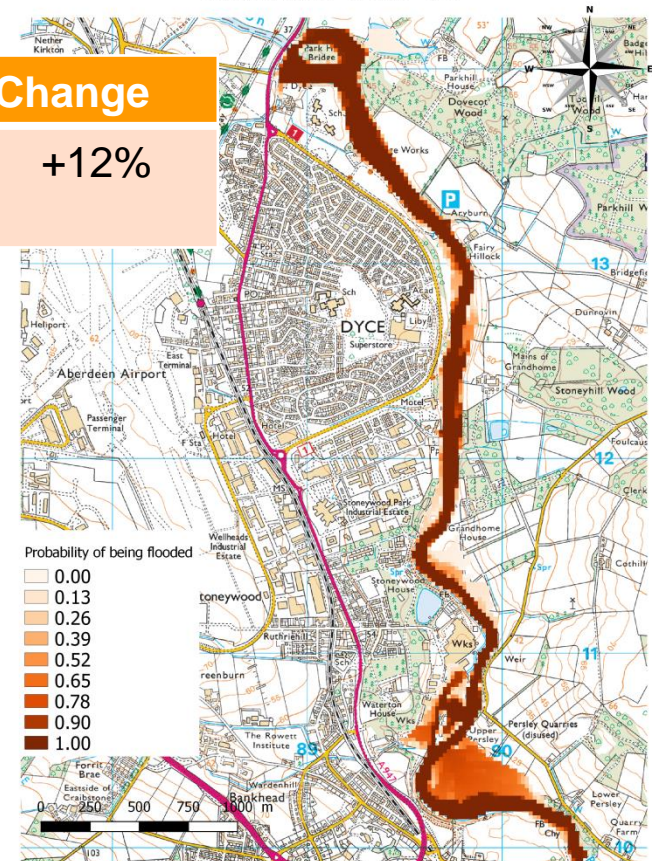
River Don (Aberdeen)  
Probabilistic map - Future



Sources: SEPA, Digimap Edina, Future flow Database

## Climate Model Uncertainty

River Don (Aberdeen)  
Probabilistic map - Future - CMU

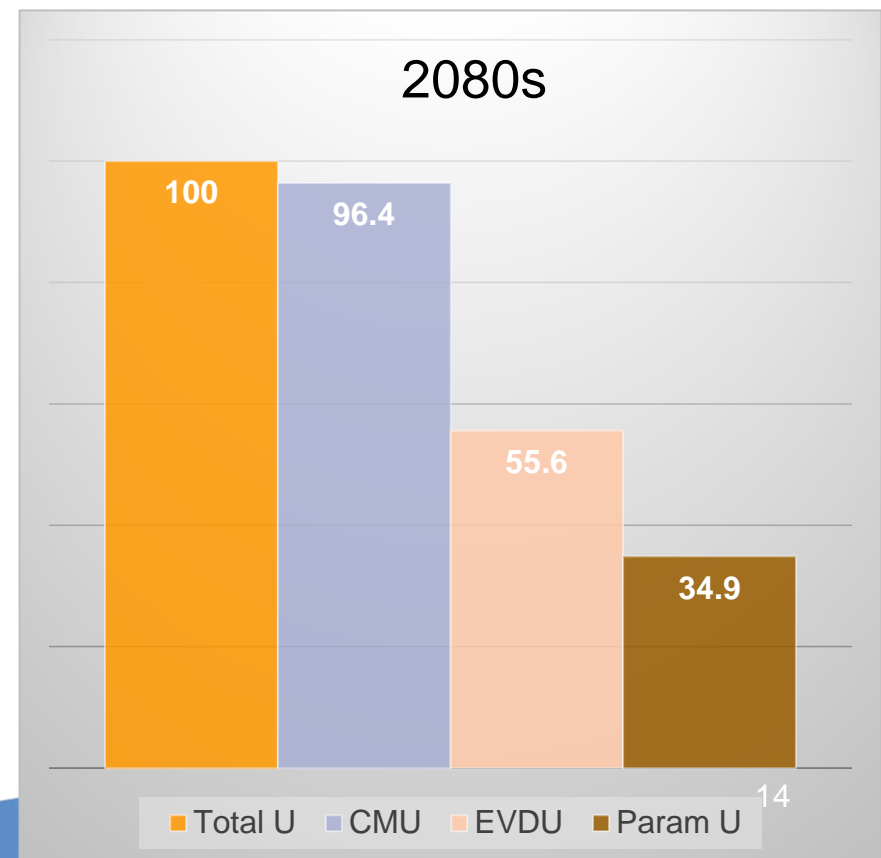
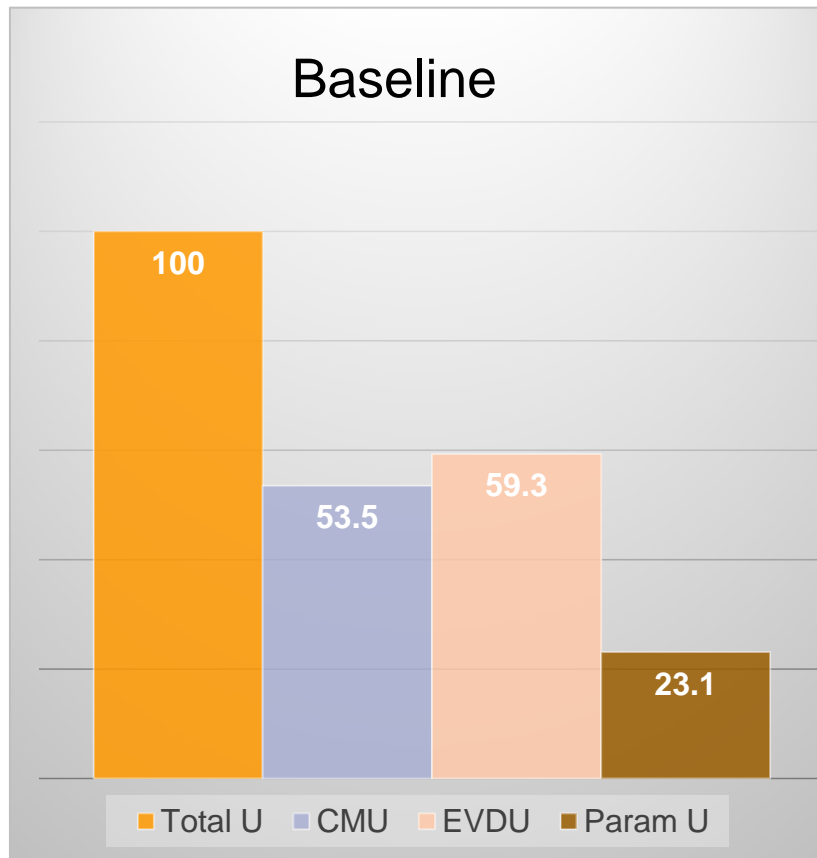


Sources: SEPA, Digimap Edina, Future flow Database

	CM U	Total U	Change
Flooded Area (km <sup>2</sup> )	0.84	0.94	+12%

# Change in different sources of uncertainty

Ratios of standard deviation for the flood extent distribution



# Conclusions & Perspectives

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- Lisflood useful for full Monte Carlo approach
- River Don: Increase in peak flow from baseline to 2080s:  
Mean: +50%, Standard deviation: +100%
- River Don: Increase in floodplain from baseline to 2080s:  
Mean: +20%, Standard deviation: +30%
- Application to consultants'/decision-makers' needs

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# Thank you

Acknowledgements:



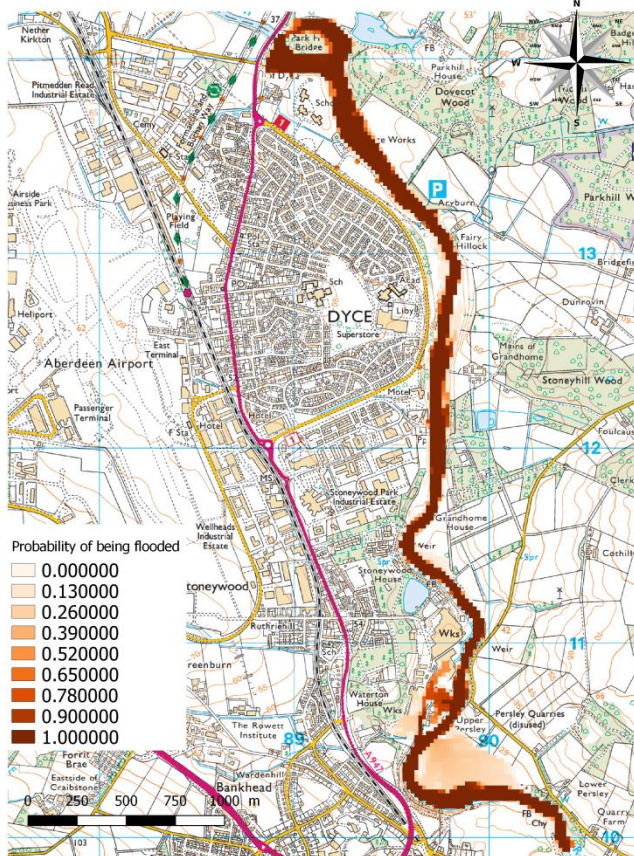
data and  
hydrology



# Probabilistic Flood Maps

## Baseline

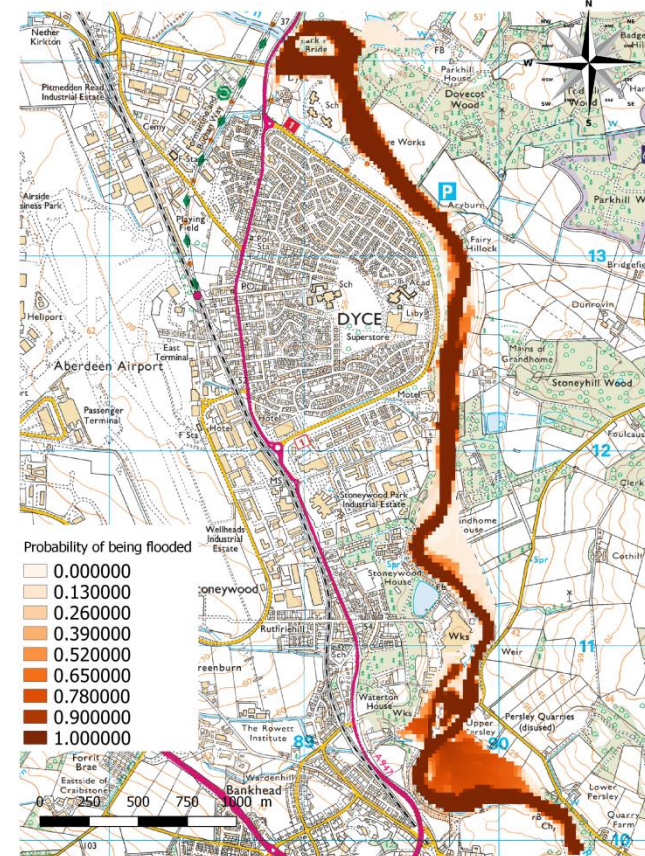
River Don (Aberdeen)  
Probabilistic map - Baseline



Sources: SEPA, Digimap Edina, Future flow Database

## 2080s

River Don (Aberdeen)  
Probabilistic map - Future



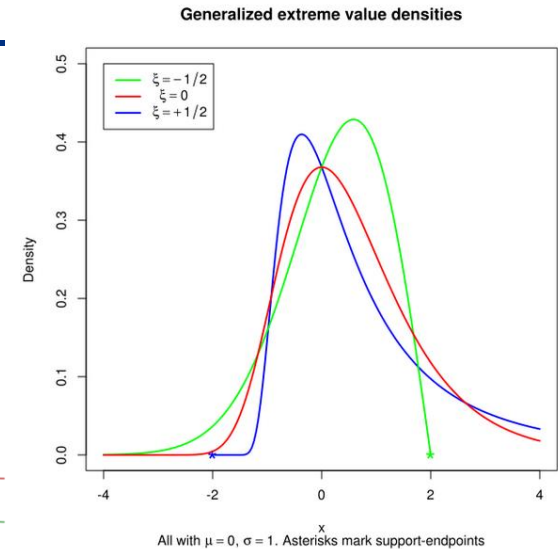
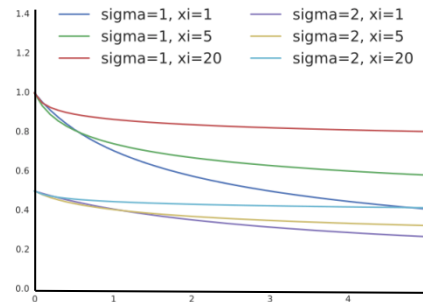
Sources: SEPA, Digimap Edina, Future flow Database

# Extreme Value Theory

Hypothesis: data series (BM or POT) are *independent and identically distributed (idd)* random variables.

$$\text{GEV: } G(z) = \exp \left\{ - \left[ 1 + \xi \left( \frac{z - \mu}{\sigma} \right) \right]^{-1/\xi} \right\}$$

$$\text{GP: } H(y) = 1 - \left( 1 + \xi \frac{y}{\sigma} \right)^{-1/\xi}$$



$\mu$ : location parameter,  $\sigma > 0$ : scale parameter,  $\xi$ : shape parameter

$z$ : BM data,  $y$ : POT data